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ESTIMATING SIGNAL TIMING OF ACTUATED SIGNAL CONTROL USING PATTERN RECOGNITION UNDER CONNECTED VEHICLE ENVIRONMENT

ABSTRACT

The Signal Phase and Timing (SPaT) message is an important input for research and applications of Connected Vehicles (CVs). However, the actuated signal controllers are not able to directly give the SPaT information since the SPaT is influenced by both signal control logic and real-time traffic demand. This study elaborates an estimation method which is proposed according to the idea that an actuated signal controller would provide similar signal timing for similar traffic states. Thus, the quantitative description of traffic states is important. The traffic flow at each approaching lane has been compared to fluids. The state of fluids can be indicated by state parameters, e.g. speed or height, and its energy, which includes kinetic energy and potential energy. Similar to the fluids, this paper has proposed an energy model for traffic flow, and it has also added the queue length as an additional state parameter. Based on that, the traffic state of intersections can be descripted. Then, a pattern recognition algorithm was developed to identify the most similar historical states and also their corresponding SPaTs, whose average is the estimated SPaT of this second. The result shows that the average error is 3.1 seconds.

KEYWORDS

connected vehicle; actuated signal control; signal timing estimation; energy model; queue length.

1. INTRODUCTION

The intersection is the main type of bottlenecks for traffic networks. The bottleneck can cause high emissions, low efficiency, or even a safety problem. New technologies, such as Connected Vehicles (CVs) and intelligent traffic system provide

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opportunities to improve the efficiency of intersections. Previous studies of CVs found that the technologies could improve the performance of intersections by decreasing delay [1] and reducing oil consumption as well as emission [2]. Additionally, these new technologies can be employed to reduce delay by optimizing the signal timing or other traffic management strategies [3-7]. One of the necessary inputs of the above studies is the Signal Phase and Timing (SPaT) message, which includes all phases of this cycle, the length of these phases, and the gap between these phases. SPaT can be easily obtained from the fixed-timing signal controllers. However, obtaining SPaT for actuated signal controllers is difficult since their signal timing is not only related to the control logic but also to the real-time traffic conditions. On the other hand, CVs could provide vehicle speed and location information in real time. For one signal controller, if the control logic is not changed, the signal controller will give similar signal timing under similar traffic states, which is more easily and more possible to be obtained by using the CV data. Consequently, how the CV data can be used to estimate the signal timing of the actuated signal controllers has become an important topic.

There have been some studies on obtaining SPaT; however, almost all of them focused on the fixed-timing signal control [8-13]. Based on data sources, these studies can be divided into two categories. In the first category, data are collected from invasive detectors, such as loop detectors [8, 11]. Firstly, the delay patterns are measured by travel time. Key vehicles are identified by utilizing the

delay patterns, and then they are used to estimate the signal timing information [11]. Key vehicles include the first and the last vehicle that pass the stop line in one signal control cycle. The main problem of this method is that there might be more than one cycle between two key vehicles. Although some studies have already applied mathematical iteration to correct the cycle length, these studies were based on using the engineering experience [8].

The second group of research uses the trajectory data to estimate the signal timing of the fixed-time signal controllers [9, 10, 12, 13]. Some researchers identify the key vehicles by stop event and delay, and the cycle is modified by using the maximum common divisor of the gap between critical vehicles. The GPS data of mobile phones can also be used to estimate the signal timing. By identifying the stop and launch time of vehicles, the cycle and length of each phase is identified according to the traffic wave theory [9]. Since the penetration of trajectory data would be low, the laws of kinematics were used to identify the starting time of the green and red lights [10]. The green time and cycle length estimation errors of the above procedures are between three and six seconds.

The actuated signal control is a common control type for intersections. However, the study seldom focuses on estimating the signal timing of the actuated signal controllers. The reason lies in the fact that the signal timing of actuated signal is strongly related to real-time traffic state [14, 15], while the real-time traffic state is hard to perceive. The existing study mainly estimates the length of the current phase with the method of probability theory based on the historical duration time instead of the historical traffic state [16]. This estimation method is only useful to the intersections whose signal controller has simple control logic and can only change the signal timing slightly. However, this method might not be appropriate to be used at the intersections whose traffic demand changes significantly and then results in the substantial change of signal timing. The reason of no real-time-traffic-state based actuated signal timing estimation is that the traffic state is hard to be extracted in detail and in time. Loop detectors can only get the state when a vehicle is passing it. Real-time queue length is hard to obtain, not to mention the real-time state of every vehicle. Traffic camera can be used to get the real-time queue length, but at a high cost. Trajectory data provided by CV have been used to estimated traffic state such as queue length, volume, and individual state information [17, 18]. CVs could be a possible solution to collect data of the traffic state for the actuated signals in real time.

The aim of this study is to estimate the length of the current phase of the actuated signal controller. Unlike the existing studies that use critical vehicles or historical signal timings to estimate the signal timing, the algorithm proposed in this paper is based on real-time traffic states. The traffic states are obtained from the information from CVs. The signal timings of adaptive and actuated control are changed with the traffic state. This paper moves the focus from signal timing to traffic state, which would be a meaningful exploration for further studies on estimating the signal timings of the actuated or adaptive control. This paper tries to use the traffic state to estimate the signal timing without estimating the control logic. The main idea of this paper is that the actuated signal should provide similar timing schedule if the traffic condition is the same. To test this hypothesis, historical traffic state data and its corresponding signal timing were collected. The most similar historical traffic states are then selected, and the current phase is estimated based on the signal timing of the selected historical state. The proposed algorithm is also located in cloud and will send the result of every second to road-side units or target vehicles in time.

The organization structure of this paper is as follows. The second Section introduces the definition of the traffic state and the traffic state extraction algorithm. The third Section describes the signal estimation algorithm. The fourth Section discusses the simulation evaluation. Finally, the fifth Section summarizes the conclusions.

2. STATE EXTRACTION

The main idea of this study is to estimate the current phase duration in real time by recognizing similar historical traffic states. The algorithm flow-chart is shown in *Figure 1*. The traffic state will be extracted at each time step and stored in the database. Then, the algorithm will find similar historical states which have the same phase and similar passed green time in the database. The phase time of the current state will be calculated by using the phase times of these similar historical states. This study requires the estimation as an online algorithm, which requires a lighter calculation burden. As there is a huge amount of historical states, the traffic state

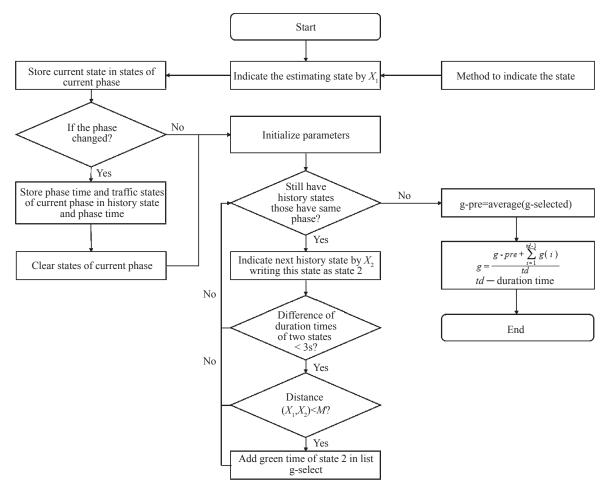


Figure 1 – Phase green time estimation algorithm flowchart

of an intersection represented by several vectors is helpful to achieve this target. Furthermore, the number of vectors that indicate the traffic state of an intersection should be as small as possible. The state of an intersection is a set of the state of each approaching lane. The vehicles in one approaching lane can be seen as a traffic flow. The traffic flow has been researched by analogy with fluids. The state of fluids can be described by energy and a state parameter. The energy includes the potential energy and kinetic energy, while the state parameter can be the speed or the height of the fluids. Similarly, the state of the traffic flow can also be represented by energy and a state parameter. This section presents the energy by analogy with the concept of energy of fluids, enabling it to determine a certain state through a state parameter. Two vectors, composed of these two values, are used to represent the traffic state of the intersection. The relative notations are shown in Table 1.

In the traffic field, the traffic flow is often compared to fluids. Determining an exact state of fluids requires only two values. The first is the total energy of the fluids, which is the sum of potential and kinetic energy. The total energy, however, often corresponds to multiple possible states, as shown in *Figure 2*. State 1 has high kinetic energy and low potential energy, while Stage 2 has low kinetic energy and high potential energy. There is no doubt that State 1 and State 2 are two different states, but they have the same total energy. In order to determine the unique state of fluids, a state parameter is needed, such as the current height or the flow speed. As for the traffic flow, the queue length is selected as the

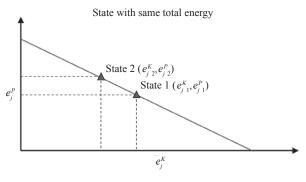


Figure 2 – Energy uniqueness

	Input parameters					
v_j^0	Speed of one vehicle at the moment it arrives at approaching lane <i>j</i>					
L	Length of lane <i>j</i>					
State parameters						
e_j^P	Potential energy of lane <i>j</i>					
e_j^K	Kinetic energy of lane <i>j</i>					
$e_j^{K'}$	Corrected kinetic energy of lane <i>j</i>					
e _j	Total energy of lane <i>j</i>					
nj	Number of vehicles in lane <i>j</i>					
v _j	Average speed of vehicles in lane <i>j</i>					
h_j	Average distance to stop line of vehicles in lane <i>j</i>					
S	Current phase state					
t _d	Duration time of current phase					
sv _j	Number of stopped vehicles in lane <i>j</i> , which is also called queue length					
E	Vector composed of energy of all approaching lanes of the intersection					
SV	Vector composed of number of stopped vehicles of all approaching lanes of the intersection					
X	Matrix composed of vectors of energy and number of stopped vehicles					
	Green time calculating parameters					
g_i	Green time of the phase that includes <i>i</i> -th selected historical states					
ik	Number of selected historical states					
sum	Sum of green time of selected historical states					
g	Preliminary estimated green time					
es _i	Estimated green time of time <i>i</i>					
esr	Estimated green time of current time					
$p(V_1, V_2)$	Euclidean distance between two vectors					
	Auxiliary parameters					
k _j	Parameter of potential energy					
k_j^1	Compensation coefficient, needs to be calibrated					
М	Threshold of Euclidean distance between two energy vectors					

Table 1 – Parameters and variables

state parameter. The queue length is one of the most important performance measures of an intersection [21]. The queue length is also often selected as the control objective of the signal timing optimization [22]. Only two numbers can indicate the state of the fluids. As for the traffic field, if the state of the traffic flow of one approaching lane can be presented by two numbers, the traffic state of the intersection can be presented by two vectors which is composed of the energy and a state parameter of each approaching lane. After using two vectors to represent the traffic state of one intersection, there is no doubt that the efficiency and practicality of the pattern recognition algorithm will be greatly increased.

The energy of the traffic flow, which is similar to that of the fluids, is composed of two components in an approaching lane of the intersection. When the fluids move to high ground, the kinetic energy of water transfers to potential energy: the speed and kinetic energy of the fluids decrease while the potential energy increases. Similarly, the energy transfer also exists in the intersection. For a special case in which only one vehicle drives in the intersection and the vehicle cannot pass the intersection without stopping, the vehicle has maximum kinetic energy when it just entered the range of the intersection; however, no large pressure on the intersection controller is observed at this moment, as there is no urgent need to release it to pass the intersection immediately. By contrast, the speed of the vehicle decreases when it approaches the stop line, which causes the control pressure of the intersection controller increasing sharply, just as shown in Figure 3. The intersection likes a "valve" in the traffic flow,

just similar to the fluids brings pressure to a shutting valve, the coming of the traffic flow also brings pressure to the intersection. After the vehicle reaches the stop line, the kinetic energy drops to zero and, therefore, the control pressure of the intersection controller is at its maximum value. To be consistent with the fluids, the control pressure of traffic flow is also named potential energy.

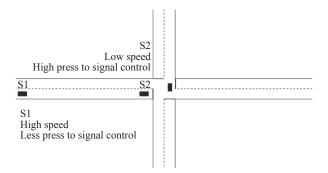


Figure 3 – State of vehicle in intersection

Two values are required to calculate the kinetic energy of the fluids: mass and speed of the flow. For homogenous traffic flow, the number of vehicles and the average speed are seen as mass and speed of the fluids. The formula for kinetic energy is presented in *Equation 1*:

$$e_j^K = \frac{1}{2} n_j v_j^2 \tag{1}$$

where e_j^K indicates the kinetic energy of the traffic flow on lane *j*; n_j indicates the number of vehicles on lane *j*; and v_j indicates the average speed of vehicles on lane *j*. The unit of e_j^K is vm · J, where vm is the mass of a vehicle.

For the quantification and determination of potential energy, this study defines the intersection control boundary line as the zero potential energy surface. According to its physical definition, the potential energy is the product of mass and distance at the control boundary. It can be expressed by *Equation 2*:

$$e_j^P = k_j n_j g h_j \tag{2}$$

where e_j^P denotes the potential energy of the traffic flow on lane *j*; k_j is the coefficient, and h_j is the average distance to the control boundary of vehicles on lane *j*. Same with e_j^K , the unit of e_j^P is also vm · J, where vm is the mass of a vehicle.

Back to the special case in which only one vehicle passes the intersection and the vehicle cannot pass the intersection without stopping;, since there is no influence of other vehicles, the study considers that its kinetic energy at the control boundary instantaneously transfers to its potential energy at the stop line, as it is not disturbed by other vehicles.

$$e_{j\,1}^{K} = e_{j\,2}^{P} \tag{3}$$

where e_{j1}^{K} is the kinetic energy of the vehicle just entering the control range of lane *j*; and e_{j2}^{P} is the potential energy when a vehicle reaches the stop line of lane *j*. For the traffic flow including only one vehicle, *Equations 4* and 5 can be derived from *Equations 1-3*:

$$\frac{1}{2}v_j^{0^2} = k_j g L_j \tag{4}$$

$$k_j = \frac{v_j^{0^2}}{2gL_j} \tag{5}$$

where v_j^0 represents the average speed at the moment when a vehicle is just entering the control boundary of lane *j*; and L_j represents the distance from the control boundary to the stop line. These expressions are verified, but only if the traffic flow includes only one vehicle in undisturbed environment. When the flow is large, the kinetic energy of the vehicles cannot be completely converted into potential energy due to the influence of other vehicles, and the vehicles may stop far from the stop line. A compensation factor for the potential energy, therefore, should be evaluated. As a result,

$$e_j^{\vec{k}} = k_j^1 k_j n_j h_j \tag{6}$$

In the above equation, k_j^1 is the compensation coefficient, which requires to be calibrated. Detailed calibration results are shown in the simulation section. The total energy of the traffic flow on an approaching lane can be determined as in *Equations 7* and 8:

$$e_j = e_j^P + e_j^{K'} \tag{7}$$

$$e_{j} = \frac{1}{2}n_{j}v_{j}^{2} + k_{j}^{1}k_{j}n_{j}h_{j}$$
(8)

As mentioned at the beginning of this section, the total energy is not sufficient to determine one state; therefore, a state parameter is needed to identify a specific state. In this study, the number of stopped vehicles is selected as this parameter because it not only represents the most urgent control pressures but is also easily obtained and has high accuracy. The traffic state of the intersection can be represented by a matrix shown in *Equation 9*:

$$X = (s, t_d, E, SV) \tag{9}$$

where s represents the current phase state; t_d is the passed green time of the current phase; E and SV are two state vectors, as shown in Equations 10 and 11:

$$E = (e_1, e_2, \dots, e_j, \dots, e_J)$$
(10)

$$SV = (sv_1, sv_2, \dots, sv_j, \dots, sv_J)$$
 (11)

where J represents the number of lanes that belong to the approaching links of the intersection. The state vector E represents a vector, composed of the energy values of each lane. SV is a state parameter vector, which is represented by the number of stopped vehicles on each lane.

3. ESTIMATION ALGORITHM

This Section describes an algorithm that estimates the green time of the current phase by employing the energy and the number of motionless vehicles. The main idea of this algorithm is comparing the actual state with historical states in order to identify the most similar one and gets the estimated green time of the current phase based on it. This algorithm is based on the fact that if the control logic of an actuated signal controller does not change, the controller will show similar green times under similar traffic flow states.

The pattern recognition, such as image recognition in which the Euclidean distance is applied, is used to find the most similar historical traffic state. In this study, the traffic state of the intersection is represented by two vectors, the energy vector and the state parameter vector. The Euclidean distance calculation is thereafter employed with these vectors, as in image recognition. As the measure value and the meaning of the two vectors are different, a unified Euclidean distance cannot be calculated, and the recognition process needs to be divided into two steps. The Euclidean distance of the two vectors will be calculated respectively in the two steps, and only the state whose two Euclidean distances are both short is a similar state. This study uses $\rho(SV_1,SV_2)$ to indicate the Euclidean distance between the state parameter vectors of the compared states, and $\rho(E_1, E_2)$ is used to indicate the Euclidean distance between the energy parameter vectors of the compared states. As $\rho(SV_1, SV_2)$ is smaller and much easier to calculate than $\rho(E_1, E_2)$, the calculation process is designed as follows: obtain the Euclidean distance between $\rho(SV_1, SV_2)$ of the current traffic state and the historical states to screen out the states that have a similar motionless vehicle situation. Calculate afterwards the Euclidean distance between $\rho(E_1, E_2)$ of the current state and the historical traffic states to identify the states with similar energy distribution.

In order to obtain a more stable result, the five most similar situations are selected and the preliminary estimated green time which is indicated by g is estimated by averaging the green time of the selected states.

$$g = \frac{g_1 + g_2 + g_3 + g_4 + g_5}{5} \tag{12}$$

The detailed steps are summarized as follows: Step 1: Picking the historical states that have the same green phase with the current state.

Step 2: Screening historical states whose passed green time, which is indicated by t_d , is similar to that of the current state. If the difference between them is less than three seconds, the state will be chosen. In the actuated signal control logic, the minimum green light extension time is equal to maximum allowable headway, which is chosen as three seconds in the Signal Timing Manual [19, 20].

Step 3: Calculating $\rho(SV_c,SV_s)$, where SV_c is the state parameter vector of the current state and SV_s is the state parameter vector of the states identified by Step 2. This study chose J (the number of lanes in an intersection) as a threshold. It is assumed that the average difference of motionless vehicles for each lane is not larger than one. The estimation result is sensitive to the queue length. The actuated control is based on the information of a loop detector. One vehicle can cause the loop detector to be occupied or not. Two motionless vehicles for each lane can lead to large errors in the test. This value can be adjusted if other detectors are used such as traffic cameras.

Step 4: Calculating $\rho(E_c, E_s)$, where E_c is the energy vector of the current state and E_s is the energy vector of states identified by Step 3. The threshold is M, which is calibrated experimentally. The specific results are shown in the next section.

Step 5: Selecting the five newest historical states from the states selected in Step 4. If only the newest state is selected, there may be large errors in the estimation results. However, since the control logic may be adjusted with time, too many selected states may lead to wrong results. According to the simulation test, five newest states are most suitable. This value can be adjusted according to the actual situation.

Step 6: Averaging the green times of five selected states.

Step 7: Averaging the estimated results of each passed second of the current phase.

4. SIMULATION

This Section focuses on building a simulation environment for testing the algorithm. Its accuracy is evaluated, and the influence of the length of green time, training data size, and the penetration of connected vehicles are also discussed respectively.

4.1 Simulation network

A simulation environment was built in VISSIM 9, and the algorithm is implemented in Python. An artery-branch intersection, controlled by the actuated controller was established to evaluate the algorithm. The artery road is composed of two-way four lanes, and their traffic volume is 700 pcu/(h•lane) while the branch is made of two-way two lanes, and their volume is 400 pcu/(h•lane). The simulation was run for ten hours to collect the traffic data including the Basic Safety Message (BSM) and SPaT as the basic historical database, including vehicle location information, speed information, current green light phase, passed green time, and green time.

Table 2 – Calibration results

4.2 Parameter calibration

In order to calibrate the parameters, different coefficients $k_j^{\ 1}$ and thresholds M were tested in order to reach better accuracy. *Table 2* shows that the Average Error (*AE*) is minimum when $k_j^{\ 1}$ equals 3 and M is $3E_s$, where E_s indicates the total energy of the vehicle in the special case which passes the intersection with a stop and is not influenced by other vehicles.

4.3 Observation of state estimation parameters

In this part, four states are compared to verify the rationality of selecting energy and the number of stopped vehicles to represent the state of traffic flow. The simulated traffic is shown in *Figure 4*, and the difference of energy between the state (a) and the others are calculated. The energy of each lane is calculated by *Equation 8*, where k_j^{1} is set as 3. The energy difference is the sum of absolute values of the energy difference of each lane. The result is shown in *Table 3*, and it can be noticed that the variations are increasing. *Table 3* is increasing for each scenario. It is worth noting that the difference between the

AE k_j^1	E_s	2 <i>E</i> _s	3 <i>E</i> _s	$4E_s$
0.33	4.48	4.49	4.52	4.56
1	3.93	4.10	4.32	4.36
1.67	5.73	3.98	4.16	4.10
2.33	8.79	5.01	4.23	4.12
3	10.45	5.71	3.39	4.12
3.67	12.31	6.82	4.95	4.08

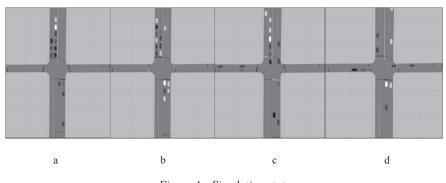


Figure 4 – Simulation state

Table 3 – Difference of energy

State	а	b	с	d
The sum of absolute values of the energy difference (reference to state a)	0	2,183	2,313	4,576

energy of state (b) and (c) is relatively low; they have similar distance to state (a). However, *Figures 4b* and *4c* seem to be very different from each other, indicating that the energy polymorphism needs to be calibrated by state parameters. After considering the number of motionless vehicles, (b) is closer to (a) than (c), which indicates the importance of the selection of these two parameters.

5. MODEL EVALUATION

Under the condition that CV penetration is 100% and 10 hours of data are employed as the training data, different green time lengths are selected to evaluate the algorithm, and the mean absolute estimated error is 3.1 seconds. The estimated results for different green time and the error distribution are shown in *Figure 5*. Most of the errors are between -1 s to 1 s. The largest estimated error is less than 6 s.

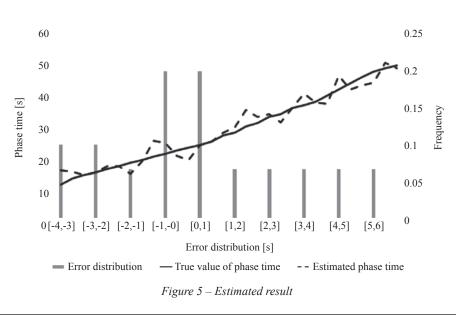
In one phase, with the increase of the passed green time, the estimation results become more accurate. The estimation results of two phases with different green time are shown in *Figure 6* as examples. Different volumes are tested which causes a big large change of green time. The range of tested

green time is from 11 to 50 seconds, so that 14 and 46 seconds, which are near the side boundary of the test range respectively, are selected to show the influence of green time length. The average absolute error of the shorter phase is 0.89 seconds, while the other is less than 1.26 seconds. Meanwhile, the absolute error decreases with time, until the end of the phase is reached. If large error values are obtained at the end of one phase, it may be a false lead to the speed guidance and other related applications, which may cause violation of the traffic signal or even safety problem.

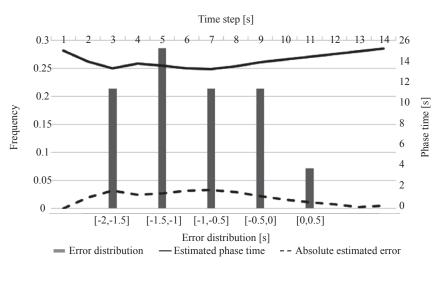
The training data size has a significant influence on the estimation algorithm. The average absolute error of the results estimated based on one hour's data and ten hours' data is 4.47 seconds and 3.1 seconds, respectively. This corresponds to a 30% lower error. The larger training data size can increase the accuracy of the algorithm. As for the penetration of the connected vehicles, it can also influence the algorithm accuracy. The estimated results under different penetrations of the connected vehicles are shown in *Table 4*. When the penetration of CV is higher than 80%, the absolute estimated error is less than 4 seconds.

 Table 4 – Influence of connected vehicle penetration

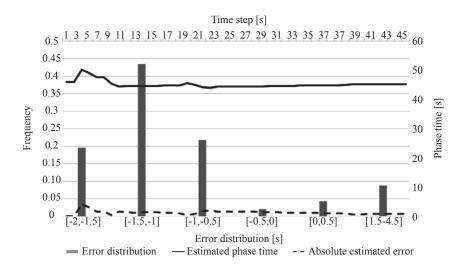
Penetration	100%	90%	80%
Absolute estimated error [s]	3.1	3.64	3.91



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a) 15 s green phase



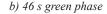


Figure 6 – One phase result

6. CONCLUSION

This study proposed a cloud-based method to estimate the duration time of the current phase of the actuated signal controller by finding similar historical traffic states under the CVs environment. The traffic states of an intersection are composed of the traffic state of each approaching lane. Compared to fluids, the state of the traffic flow can be indicated by a state parameter and energy. The queue length is selected as the state parameter, and the energy is the sum of potential and kinetic energy.

The case study validates the accuracy and adaptability of the proposed model on different phase lengths from 11 to 50 seconds. The average absolute difference between the estimated and the true phase time was 3.1 seconds. Then, the influence of penetration of CVs, green time length, and the training sample size on estimation accuracy were tested. The algorithm is adaptive to a large green time length range and becomes more accurate when the phase time approaches its ending. Furthermore, higher penetration and a large training sample size can result in a lower error.

There are some limitations in this study. The method proposed does not consider the combination of the detector data, which is frequently used to obtain the traffic state. The inclusion of the detector data might further improve the accuracy of this study. The signal timing estimation of the arterial should also be an interesting topic.

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智能网联环境下基于模式识别的感应控制配时 估计方法研究

信号配时信息是车联网研究和应用的重要输入。 然而,由于感应控制受到控制逻辑和实时交通状态 的双重影响,感应控制信号机难以提前直接给出信 号配时信息。本研究提出了一种估计模型。该模型 的基本思想是同一个信号控制机会在相似的交通状 态下给出相似的信号配时。因此,交通状态的定量 描述成为了本文的重点。将每个进口车道的车流被 类比为水流。水流的状态可以通过例如速度、高度 以及包括势能和动能在内的总能量等几个参数进行 表示。相似地,本文提出了一种适用于交通流的能 量模型,并以排队长度为补充参数确定交通状态。 通过这种方法完成了交叉口交通状态的数学化表 达,而后提出了模式识别算法来寻找最为相似的历 史交通状态以及他们对应的信号配时,将这些配时 平均化处理后得到了每一秒的估计结果。实验表 明,本方法的信号配时估计误差在3.1 s之内。

关键词

车联网; 感应信号控制; 信号配时 估计; 能量模型; 排队长度.

REFERENCES

- Kerper M, Wewetzer C, Mauve M, editors. Analyzing vehicle traces to find and exploit correlated traffic lights for efficient driving. 2012 IEEE Intelligent Vehicles Symposium, 3-7 June 2012, Alcala de Henares, Spain. IEEE; 2012. p. 310-315.
- [2] Asadi B, Vahidi A. Predictive cruise control: Utilizing upcoming traffic signal information for improving fuel economy and reducing trip time. *IEEE Transactions on Control Systems Technology*. 2011;19(3): 707-14.
- [3] Feng Y, Head KL, Khoshmagham S, Zamanipour M. A

real-time adaptive signal control in a connected vehicle environment. *Transportation Research Part C: Emerging Technologies.* 2015;55: 460-73.

- [4] Guériau M, Billot R, El Faouzi N-E, Monteil J, Armetta F, Hassas S. How to assess the benefits of connected vehicles? A simulation framework for the design of cooperative traffic management strategies. *Transportation Research Part C Emerging Technologies*. 2016;67: 266-79.
- [5] Chandan KKK, Seco ÁJM, Bastos Silva AMC. A real-time traffic signal control strategy under partially connected vehicle environment. *Promet - Traffic&Transportation*. 2019;31(1): 61-73.
- [6] Liang X, Guler SI, Gayah VV. Signal timing optimization with connected vehicle technology: Platooning to improve computational efficiency. *Transportation Research Record*. 2018;2672(18): 81-92.
- [7] Liu J, Lin P, Jin JP. Modelling and simulation of cooperative control for bus rapid transit vehicle platoon in a connected vehicle environment. *Promet - Traffic&Transportation*. 2017;29(1): 67-75.
- [8] Ban X, Herring R, Hao P, Bayen AM. Delay pattern estimation for signalized intersections using sampled travel times. *Transportation Research Record*. 2009;2130(1): 109-19.
- [9] Chuang Y-T, Yi C-W, Tseng Y-C, Nian C-S, Ching C-H. Discovering Phase Timing Information of Traffic Light Systems by Stop-Go Shockwaves. *IEEE Transactions on Mobile Computing*. 2015;14(1): 58-71.
- [10] Fayazi SA, Vahidi A, Mahler G, Winckler A. Traffic signal phase and timing estimation from low-frequency transit bus data. *IEEE Transactions on Intelligent Transportation Systems*. 2014;16(1): 19-28.
- [11] Hao P, Ban X, Bennett KP, Ji Q, Sun Z. Signal timing estimation using sample intersection travel times. *IEEE Transactions on Intelligent Transportation Systems*. 2012;13(2): 792-804.
- [12] Yu J, Lu P. Learning traffic signal phase and timing information from low-sampling rate taxi GPS trajectories. *Knowledge-Based Systems*. 2016;110(C): 275-92.
- [13] Zhu Y, Liu X, Li M, Zhang Q. POVA: Traffic light sensing with probe vehicles. *IEEE Transactions on Parallel* & *Distributed Systems*. 2013;24(7): 1390-400.
- [14] Chen Z-M, Liu X-M, Wu W-X. Optimization method of intersection signal coordinated control based on vehicle actuated model. *Mathematical Problems in Engineering*. 2015;2015.
- [15] Wang Y, Yang X, Liang H, Liu Y. A review of the self-adaptive traffic signal control system based on future traffic environment. *Journal of Advanced Transportation*. 2018;2018.
- [16] Ibrahim S, Kalathil D, Sanchez RO, Varaiya P. Estimating phase duration for SPaT messages. *IEEE Transactions on Intelligent Transportation Systems*. 2018;20(7): 2668-2676.
- [17] Grumert EF, Tapani A. Traffic state estimation using connected vehicles and stationary detectors. *Journal of advanced transportation*. 2018;2018.
- [18] Xu H, Chen J, Xu J. Integration of model-based signal control and queue spillover control for urban oversaturated signalized intersection. *Mathematical Problems in Engineering*. 2019;2019.

- [19] Urbanik T, Tanaka A, Lozner B, Lindstrom E, Lee K, Quayle S, et al. *Signal Timing Manual*. Washington, DC: Transportation Research Board; 2015.
- [20] Wu B, Li Y. *Traffic Management and Control*. Beijing: China Communications Publishing & Media Management Co., Ltd; 2009.
- [21] Cheng Y, Qin X, Jin J, et al. Cycle-by-cycle queue

length estimation for signalized intersections using sampled trajectory data. *Transportation Research Record*. 2011;2257(1): 87-94.

[22] Al Islam SMAB, Hajbabaie A. Distributed coordinated signal timing optimization in connected transportation networks. *Transportation Research Part C: Emerging Technologies*. 2017;80: 272-285.